



Prediction and Mechanism of Tensile Strengthening in Single β -phase Ti-Ta Alloys with Oxygen Solutes



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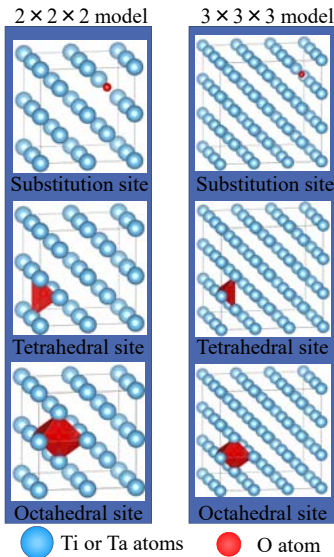
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Introduction

Oxygen solid solution is known as one of strengthening mechanisms in Ti alloys. The lattice distortion owing to solid solution is the key point in this strengthening mechanism and can be theoretically analyzed by first-principles calculations. In this poster, the local structure of solutes oxygen and the lattice distortion in β -Ti alloy model were computationally elucidated by using first-principles calculations. In addition, the increment of 0.2% yield strength of β -Ti alloy model was estimated by combining these results with the Labusch model, the theory of solid solution strengthening. These increments of 0.2% yield strength were validated by experiments. The single β -phase Ti alloys with various oxygen concentrations were fabricated by powder metallurgy and a series of heat treatment, and their microstructure and mechanical properties were characterized.

Calculation conditions



First-principles calculations

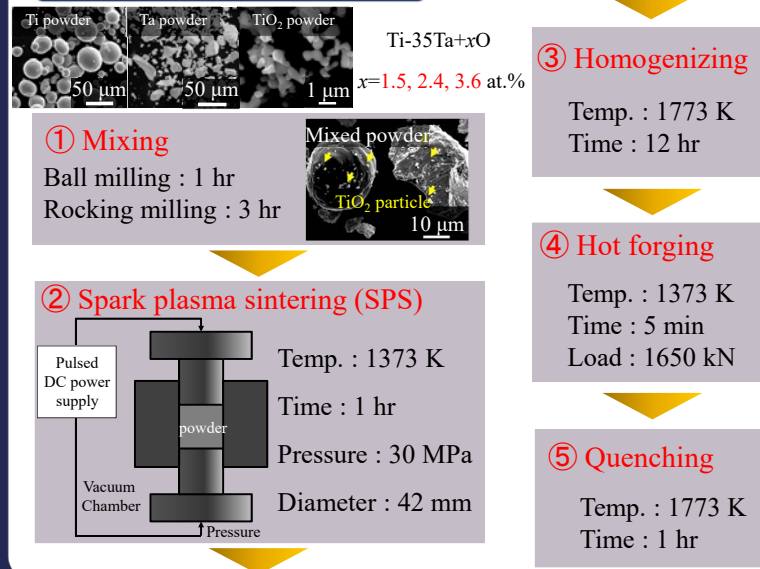
- VASP code
- Cutoff energy : 520 eV
- K-point spacing : 0.15 Å⁻¹

Labusch model

$$\Delta\sigma_{YS} = \frac{\tau_0}{S_F} = \frac{1}{S_F} \left(\frac{F_m^4 c^2 w}{4Gb^9} \right)^{\frac{1}{3}}$$

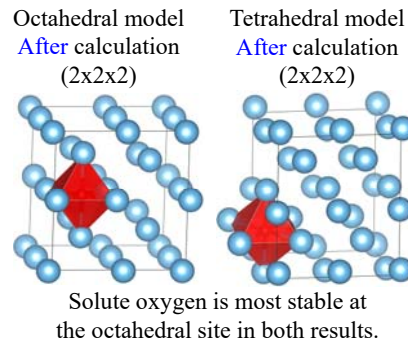
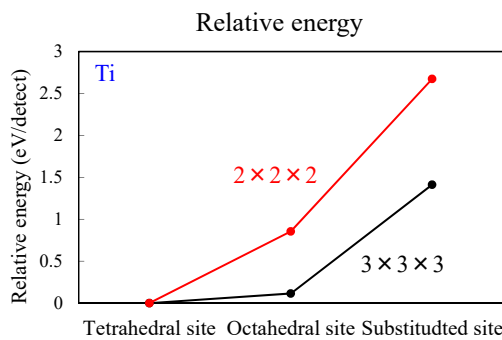
- τ_0 : Shear stress
- S_F : Schmid factor
- F_m : Maximum interaction force between solute atom and dislocation
- c : Solute atom concentration
- w : The range of the interaction
- G : Modulus of rigidity
- b : Burgers vector size

Experimental procedure



Results –lattice distortion and mechanical properties

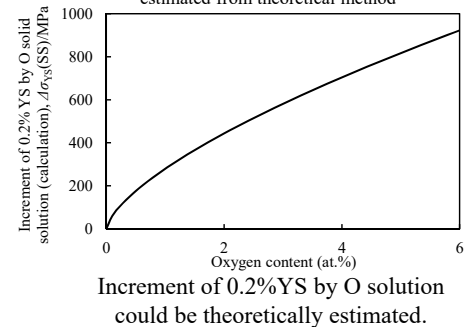
Theoretical results by using First-principles calculations and the Labusch model



Labusch model

$$\Delta\sigma_{YS} = \frac{\tau_0}{S_F} = \frac{1}{S_F} \left(\frac{F_m^4 c^2 w}{4Gb^9} \right)^{\frac{1}{3}}$$

Increment of 0.2%YS by solid solution estimated from theoretical method



Validation by Experiments

